

A stylized illustration in shades of blue and green. It depicts a large robot wearing a graduation cap and gown, standing in a classroom. The robot's hands are raised, and it appears to be presenting. In the foreground, several students are seated at desks, working on laptops. The background shows a city skyline with various skyscrapers. The overall theme is the intersection of technology and education.

# **MAT 275**

## **Radius Calculation on Polar Coordinate System in C++**

# Introduction

This program calculates the radius corresponding to different angles on a polar coordinate system. It demonstrates the usage of trigonometric functions in C++ to convert polar coordinates to Cartesian coordinates and then calculates the radius from these coordinates.

# Problem Statement

Given a set of angles ( $\theta$ ) and an initial radius value ( $r$ ), the program computes the radius corresponding to each angle on the polar coordinate system.

# Solution Steps

- Define a vector to store the angles ( $\theta$ ).
- Initialize the initial radius value ( $r$ ).
- Define vectors to store the x and y coordinates.
- Calculate the x and y coordinates for each angle using the trigonometric functions cosine and sine.
- Compute the radius from the x and y coordinates using the Pythagorean theorem.
- Display the calculated radius values.

# Pseudo Code

- ❑ Include necessary header files (iostream, cmath, vector).
- ❑ Begin main function.
  - Define angles:
    - Create a vector called 'theta' to store angles in radians, initialized with specific values:  $0$ ,  $\pi/4$ ,  $\pi/2$ ,  $3\pi/4$ ,  $\pi$ , and  $5\pi/4$ .
  - Define initial radius:
    - Declare and initialize a variable 'r' of type double with the initial radius value (2 in this case).
  - Define vectors to store x and y coordinates:
    - Create two vectors 'x' and 'y' of type double to store x and y coordinates, respectively, with sizes equal to the size of the 'theta' vector.
  - Calculate x and y coordinates:
    - For each angle 'theta[i]' in the 'theta' vector:
      - Calculate x coordinate:  $x[i] = r * \cos(\text{theta}[i])$
      - Calculate y coordinate:  $y[i] = r * \sin(\text{theta}[i])$

# Pseudo Code

- Calculate radius from x and y coordinates:
  - Create a vector 'radius' of type double to store the calculated radius values.
  - For each pair of x and y coordinates (x[i], y[i]):
    - Calculate radius:  $\text{radius}[i] = \sqrt{x[i]^2 + y[i]^2}$
- Display radius:
  - Output the label "radius:" to the console.
  - For each radius value in the 'radius' vector:
    - Output the radius value followed by a space.
    - Output a newline character to move to the next line.
- End main function.

```
#include <iostream>
```

```
#include <cmath>
```

```
#include <vector>
```

```
using namespace std;
```

```
int main() {
```

```
vector<double> theta = {0, M_PI/4, M_PI/2, 3 * M_PI/4, M_PI, 5 * M_PI/4};
```

```
double r = 2;
```

```
vector<double> x(theta.size());
```

```
vector<double> y(theta.size());
```

```
for (size_t i = 0; i < theta.size(); ++i) {
```

```
    x[i] = r * cos(theta[i]);
```

```
    y[i] = r * sin(theta[i]);
```

```
}
```

```
vector<double> radius(theta.size());
```

```
for (size_t i = 0; i < theta.size(); ++i) {
```

```
    radius[i] = sqrt(pow(x[i], 2) + pow(y[i], 2));
```

```
}
```

```
// Display radius
```

```
cout << "radius:" << endl;
```

```
for (size_t i = 0; i < radius.size(); ++i) {
```

```
    cout << radius[i] << " ";
```

```
}
```

```
cout << endl;
```

```
return 0;
```

```
}
```

# C++ Code

# Code Explanation

❑ `#include <iostream>#include <cmath>#include <vector>using namespace std;`

These lines include the necessary header files: ‘<iostream>’ for input/output stream functionality, ‘<cmath>’ for mathematical functions, and ‘<vector>’ for using vectors in C++.

❑ `int main() {`

This line marks the beginning of the ‘main’ function, which serves as the entry point of the program

❑ `vector<double> theta = {0, M_PI / 4, M_PI / 2, 3 * M_PI / 4, M_PI, 5 * M_PI / 4};`

This line defines a vector ‘theta’ of double-precision floating-point numbers and initializes it with a series of angles in radians.

❑ `double r = 2;`

This line defines a double-precision floating-point variable ‘r’ and initializes it with the initial value of the radius.

❑ `vector<double> x(theta.size()); vector<double> y(theta.size());`

These lines define two vectors ‘x’ and ‘y’ of double-precision floating-point numbers to store the x and y coordinates, respectively.



# Code Explanation

```
❑ for (size_t i = 0; i < theta.size(); ++i) { x[i] = r * cos(theta[i]); y[i] = r * sin(theta[i]); }
```

This loop calculates the 'x' and 'y' coordinates for each angle using the trigonometric functions 'cos' and 'sin', respectively, and stores them in the x and y vectors.

```
❑ vector<double> radius(theta.size()); for (size_t i = 0; i < theta.size(); ++i) { radius[i] = sqrt(pow(x[i], 2) + pow(y[i], 2)); }
```

This loop calculates the radius for each pair of x and y coordinates using the Euclidean distance formula and stores the result in the 'radius' vector.

```
❑ cout << "radius:" << endl; for (size_t i = 0; i < radius.size(); ++i) { cout << radius[i] << " "; } cout << endl;
```

This loop outputs the calculated radius values to the standard output (typically the console), separated by spaces.

```
❑ return 0;}
```

This line indicates the end of the 'main' function and returns an integer value of '0' to the operating system, typically indicating successful execution.

# Final Answer

The final output is the radius vector containing the calculated 'radius' values from Cartesian coordinates.

Output

```
/tmp/JXTux6npB6.o  
radius:  
2 2 2 2 2 2  
|
```

# Additional Comments/Tips

- Ensure the correctness of the provided angles and initial radius value to obtain accurate results.
- Consider handling edge cases, such as angles covering a full circle or negative radius values.

# Conclusion

This program showcases the transformation of polar coordinates to Cartesian coordinates and the subsequent calculation of the radius on a polar coordinate system. Understanding these computations is essential in various fields, including physics, engineering, and computer graphics.